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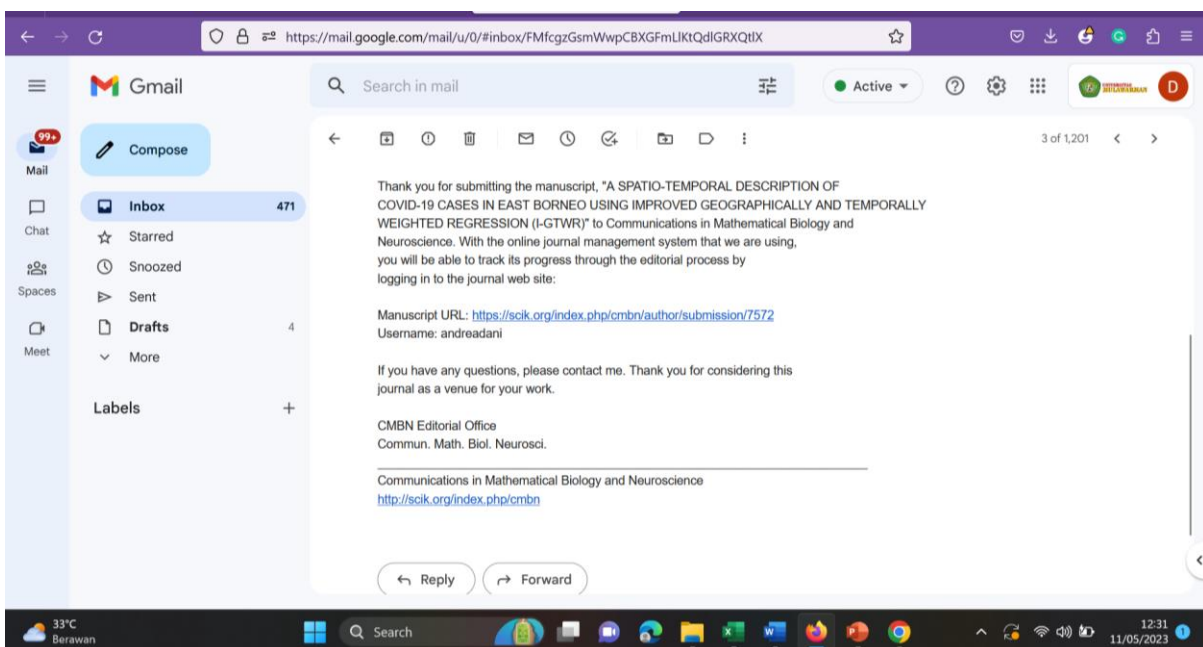
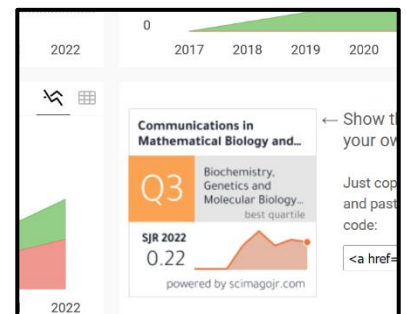
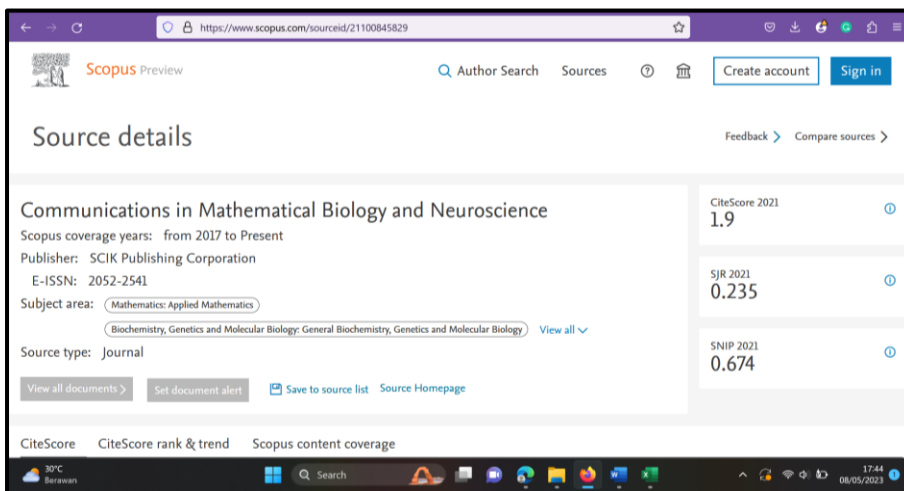
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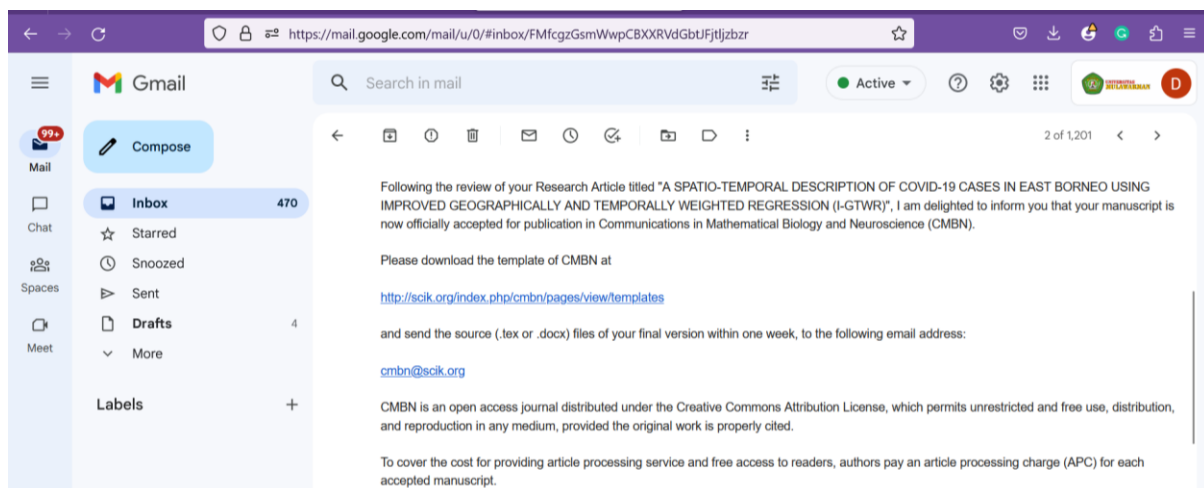
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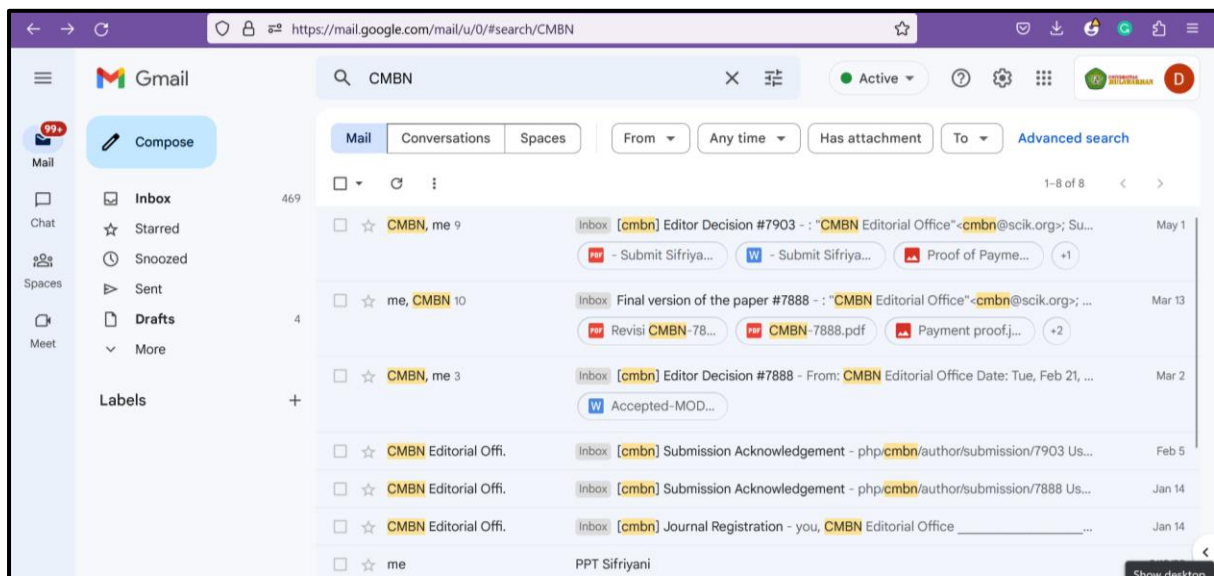
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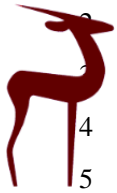
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A SPATIO-TEMPORAL DESCRIPTION OF COVID-19 CASES IN EAST BORNEO USING IMPROVED GEOGRAPHICALLY AND TEMPORALLY WEIGHTED REGRESSION (I-GTWR)

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Abstract: At the end of 2019, the world was impacted by a deadly viral phenomenon referred to as COVID-19. The Indonesian government quickly implemented Large-Scale Social Restrictions (LSSR) to prevent the spread and transmission of COVID-19. However, various violations are often committed by the community towards LSSR, which are specifically caused by economic inequality. This study was focused on spatial and temporal modelling of the

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27 COVID-19 cases in East Borneo Province by identifying the contributing factors. This study aimed to develop an
28 analytical program to estimate the parameters of the Improved-Geographically and Temporal Weighted Regression (I-
29 GTWR), which accommodates the interaction of the spatial-temporal distance function. Moreover, this study was also
30 intended to develop an I-GTWR model for the COVID-19 data for each Regency/City of East Borneo Province by
31 considering the spatial-temporal diversity and adding the interaction of the spatial-temporal distance function to the
32 weighting matrix, and determining the factors that influence of COVID-19 cases in East Borneo Province, based on
33 regional variations by applying I-GTWR. Map and model exploration had succeeded in identifying different patterns
34 of factors that affected of COVID-19 cases at each location and time. The I-GTWR method had proven to be more
35 appropriate in describing the contributing factors of COVID-19 cases in East Borneo Province in 2020-2021. This
36 was indicated by a higher R-Square value, a decrease in the Root Means Squared Error (RMSE).

37 **Keywords:** Improved-Geographically and Temporally Weighted Regression (I-GTWR); spatial; spatio-temporal;
38 distance function.

39 **2010 AMS Subject Classification:** 92C60.

40

41 1. INTRODUCTION

42 Based on the definition from the World Health Organization (WHO), COVID-19 refers to a
43 virus that infects the respiratory system [1], [2]. Until the present time, 188 countries were
44 reportedly confirmed to be exposed to the Corona virus, including Indonesia. As of March 2, 2020,
45 Depok residents were tested positive for COVID-19, and the virus continues to spread and infect
46 people throughout Indonesia. Consequently, Joko Widodo as a President of Indonesia, issued
47 Government Regulation No. 21/2020 concerning Large-Scale Social Restrictions (LSSR) in
48 response to COVID-19 on March 31, 2020, as well as Presidential Decree No. 11/2020 declaring
49 the coronavirus pandemic as a national disaster [3]. These regulations were stimulated based on
50 Law Number 06/2018 concerning Health Quarantine, which regulates the basic provisions for
51 LSSR.

52 The COVID-19 pandemic has currently provided a negative impact on various sectors [4], [5].
53 At the global economic level, the COVID-19 pandemic was found to provide a very significant

54 disruption to the domestic economy of nation-states and the development of Micro, Small, and
55 Medium Enterprises (MSMEs) [6]. The social distancing policy has significantly reduced the level
56 of public physical activity in the Jakarta metropolitan area and other big cities [7], [8]. This may
57 be indicated by the decline in the number of passengers on various means of transportation,
58 including airplanes, commuter trains, buses and busways, taxis, online taxis, bajaj, to motorcycle
59 taxis and online motorcycle taxis [9]. Referring to this, a model is highly required to evaluate the
60 contributing factors of COVID-19.

61 Viruses that spread rapidly from one location to another are known to indicate a spatial effect
62 in the modelling process. Moreover, the diversity of regional conditions and changes in time that
63 have led to suppression of the total of COVID-19 cases in an area cannot be analyzed by means of
64 the same analytical approach. One approach that may be utilized to analyze an area affected by
65 COVID-19 is the spatial and temporal mapping approach [10]–[12]. The spatial and temporal
66 approach aims to determine the distribution and geographic factors that contribute to influence
67 over a certain period of time [12]. Consequently, a statistical modelling method is urgently needed
68 to analyze geographic location or location factors of observations over a period of time. The
69 Geographically and Temporally Weighted Regression (GTWR) model is regarded as one of the
70 methods that may be utilized in the analysis process. The GTWR model has been commonly
71 defined as a development of the linear regression. The linear regression is only able to produce a
72 globally valid parameter estimator, while the GTWR model produces a local model parameter
73 estimator for each observation location [13], [14].

74 Studies with GTWR methods are typically conducted by using addition operators to model
75 spatial-temporal distances. Subsequently, this may result in the distance measured in spatial
76 dimensions not having an effect on temporal distance, thus making spatial-temporal interaction
77 modeling less appropriate. This study would be carried out by means of the Improved-
78 Geographically and Temporal Weighted Regression (I-GTWR) method as a development of the
79 GTWR method by adding interactions to the spatial-temporal distance function in the COVID-19
80 modeling of East Borneo Province in 2020-2021.

81 This study was objected to develop the Improved-Geographically and Temporal Weighted
 82 Regression (I-GTWR) model, which accommodates the interaction of the spatial-temporal
 83 distance function. Furthermore, this study also aimed to develop an I-GTWR model for COVID-
 84 19 data for each regency/city of East Borneo Province by considering the spatial-temporal diversity
 85 and adding the interaction of the spatial-temporal distance function to the weighting matrix as well
 86 as determining the contributing factors of COVID-19 in East Borneo Province based on regional
 87 variations through the implementation of I-GTWR.

88

89 **2. PRELIMINARIES**

90 *A. The Geographically Temporally Weighted Regression Model (GTWR)*

91 This modeling involves spatial, temporal or time aspects that are used to exploration and data
 92 analysis on the distribution of the total of COVID-19 cases in the 2020-2021 timeframe. The
 93 GTWR model is defined as an effective approach to dealing with the issue of spatial and temporal
 94 non-stationarity [15]. The GTWR model was developed from the GWR model by adding an
 95 element of time (temporal) [11], [16], [17]. However, GTWR combines temporal and spatial using
 96 a weighted matrix to be able to identify spatial and temporal diversity[18], [19]. The GTWR model
 97 with the response variable y_i , the predictor variable p , and location for each observation
 98 (u_i, v_i, t_i) is written in Equation (1).

$$y_i = \beta_0(u_i, v_i, t_i) + \sum_{k=1}^p \beta_k(u_i, v_i, t_i) x_{ik} + \varepsilon_i \quad (1)$$

99 Where:

100 y_i : observational value of the response variable

101 $\beta_0(u_i, v_i, t_i)$: constant of intercept value

102 $\beta_k(u_i, v_i, t_i)$: the regression coefficient of the k -th predictor variable

103 x_{ik} : observational value of the predictor variable

104 ε_i : the error of the i -th observation, which is assumed to be identical, independent,

105 and $\varepsilon_i \sim N(0, \sigma^2)$

106 Regression coefficient of $\hat{\beta}_i(u_i, v_i, t_i)$ at the i -th point can be estimated using the estimation
 107 method Weighted Least Square (WLS) as shown in Equation (2).

$$\hat{\beta}(u_i, v_i, t_i) = [\mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{y} \quad (2)$$

108 $\mathbf{W}(u_i, v_i, t_i) = \text{diag}(w_1(u_i, v_i, t_i), w_2(u_i, v_i, t_i), \dots, w_n(u_i, v_i, t_i))$ is the weighting matrix at the
 109 observation location (u_i, v_i) and the t -th time. Diagonal element of $w_{ij}(1 \leq j \leq n)$ is defined
 110 as a function of the spatial-temporal distance at the point of observation (u_i, v_i, t_i) .

111 Distance functions of GTWR model (d_{ij}^{ST}) consist of a combination from spatial distance
 112 (d_{ij}^S) and temporal distance (d_{ij}^T) , which is formulated [20]:

$$\begin{aligned} (d_{ij}^S)^2 &= (u_i - u_j)^2 + (v_i - v_j)^2 \\ (d_{ij}^T)^2 &= (t_i - t_j)^2 \\ (d_{ij}^{ST})^2 &= \phi^S [(u_i - u_j)^2 + (v_i - v_j)^2] + \phi^T [(t_i - t_j)^2] \end{aligned} \quad (3)$$

113 where ϕ^S and ϕ^T are used as balancing parameters for the different effects from location and
 114 time on spatial-temporal distance measurements. From Equation (3), can be generated as follows:

$$\begin{aligned} w_{ij} &= \exp \left\{ - \left(\frac{\phi^S [(u_i - u_j)^2 + (v_i - v_j)^2] + \phi^T [(t_i - t_j)^2]}{h_{ST}^2} \right) \right\} \\ w_{ij} &= \exp \left\{ - \left(\frac{[(u_i - u_j)^2 + (v_i - v_j)^2]}{h_S^2} + \frac{[(t_i - t_j)^2]}{h_T^2} \right) \right\} \end{aligned} \quad (4)$$

115 Let $h_S^2 = \frac{h_{ST}^2}{\phi^S}$ and $h_T^2 = \frac{h_{ST}^2}{\phi^T}$, then the result of Equation (5) is written as follows:

$$\begin{aligned} w_{ij} &= \exp \left\{ - \left(\frac{(d_{ij}^S)^2}{h_S^2} + \frac{(d_{ij}^T)^2}{h_T^2} \right) \right\} \\ w_{ij} &= \exp \left\{ - \left(\frac{(d_{ij}^S)^2}{h_S^2} \right) \right\} \exp \left\{ - \left(\frac{(d_{ij}^T)^2}{h_T^2} \right) \right\} = w_{ij}^S \times w_{ij}^T \end{aligned} \quad (5)$$

116 With $w_{ij}^S = \exp \left\{ - \left(\frac{(d_{ij}^S)^2}{h_S^2} \right) \right\}$ and $w_{ij}^T = \exp \left\{ - \left(\frac{(d_{ij}^T)^2}{h_T^2} \right) \right\}$

117 h_S : window width of spatial distance

118 h_T : window width of temporal distance

119 h_{ST} : window width of spatial-temporal distance

120 Allow τ to represent ratio parameter of $\tau = \frac{\varphi^T}{\varphi^S}$ with $\varphi^S \neq 0$, then Equation (6) will be obtained:

$$\frac{(d_{ij}^{ST})^2}{\phi^S} = [(u_i - u_j)^2 + (v_i - v_j)^2] + \tau [(t_i - t_j)^2] \quad (6)$$

121 Let $\varphi^S = 1$, to eliminate or reduce the unknown parameters. In this matter, τ is regarded as an
 122 unknown parameter. Parameter τ is useful for increasing or decreasing the effect of temporal in
 123 spatial distance. Parameter τ can be obtained by minimizing the cross-validation criteria through
 124 the initialization process of initial value as in Equation (7).

$$CV(\tau) = \sum_{i=1}^n (y_{\neq 1} - \hat{y}_{\neq 1}(\tau))^2 \quad (7)$$

125 The Kernel with Gaussian function is regarded as the most frequently in the GWTR model, which
 126 is formulated as in Equation (8).

$$w_{ij} = \exp\left(-\left(\frac{d_{ij}^{ST}}{h_{ST}}\right)^2\right) \quad (8)$$

127 The calculation of window width values may be carried out by means of the GWR model as
 128 proposed from Fotheringham et al. [21], [22]. The estimated value of the response variable (\hat{y})
 129 can be determined using the formula in Equation (9).

$$\hat{\mathbf{y}} = \begin{bmatrix} \hat{y}_1 \\ \hat{y}_2 \\ \dots \\ \hat{y}_n \end{bmatrix} = \begin{bmatrix} \mathbf{x}_1^T [\mathbf{X}^T \mathbf{W}(u_1, v_1, t_1) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_1, v_1, t_1) \mathbf{X} \\ \mathbf{x}_2^T [\mathbf{X}^T \mathbf{W}(u_2, v_2, t_2) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_2, v_2, t_2) \mathbf{X} \\ \dots \\ \mathbf{x}_n^T [\mathbf{X}^T \mathbf{W}(u_n, v_n, t_n) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_n, v_n, t_n) \mathbf{X} \end{bmatrix} \quad (9)$$

$$\mathbf{y} = \mathbf{S}\mathbf{y}$$

130 The selection of the goodness of the model may be calculated using the Akaike Information
 131 Criterion (AIC) [23]. Regarding to the effect of spatial-temporal diversity, the corrected from
 132 Akaike Information Criterion (AICc) is used in the selection of the goodness of the model as
 133 formulated in Equation (10):

$$AICc = 2n \ln(\hat{\sigma}) + n \ln(2\pi) + n \left(\frac{n + tr(\mathbf{S})}{n - 2 - tr(\mathbf{S})} \right) \quad (10)$$

134 Where:

$$\hat{\sigma}^2 = \frac{y^T(I-S)^T(I-S)y}{n}$$

136

137 *B. The Improved-Geographically Temporally Weighted Regression (I-GTWR) Model*

138 The weighted involved in the GTWR model uses a simple operator, particularly addition
 139 operator, which is used to calculate the spatial-temporal with a linear combination between the
 140 spatial and the temporal distance as shown in Equation (11):

$$d_{ST}^2 = \varphi^S d_S^2 + \varphi^T d_T^2 \quad (11)$$

141 where φ^S and φ^T are regarded as parameters adjusted to balance the effects of the scale used to
 142 calculate the spatial and temporal distances in each of the coordinate. According to this
 143 specification, the spatial-temporal coordinate system is considered perpendicular. Thus, the
 144 distance measured in the spatial dimension does not indicate any influence on the temporal distance,
 145 thus causing it to be inappropriate for use in modeling spatial-temporal interactions. A more
 146 complex operator is defined as the compiler of the Improved-Geographically and Temporally
 147 Weighted Regression (I-GTWR) model as indicated in Equation (12):

$$d_{ij}^{ST} = \varphi^S d_{ij}^S + \varphi^T d_{ij}^T + \varphi^S \varphi^T d_{ij}^S d_{ij}^T + 2 \sqrt{\varphi^S \varphi^T d_{ij}^S d_{ij}^T} \text{Cos}(\xi) \quad (12)$$

148 where t_i and t_j are defined as the time of observation at the i -th and j -th locations. Parameters
 149 φ^S, φ^T and $\xi \in [0, \pi]$ are considered as balancing parameters derived by means of the coefficient
 150 of determination optimization method through cross-validation procedures. The parameters may
 151 be used to measure the interaction effect of location and time

152

153 *C. The Geographically Weighted Regression (GWR) Model Parameter Testing*

154 The Geographically Weighted Regression (GWR) parameter testing is used to evaluate the
 155 parameters that are able to provide a significant influence on the response variable [24]. Parameter
 156 testing at each location is conducted partially. The hypotheses of parameters testing are as follows:

$$157 H_0 : \beta_k(u_i, v_i) = 0$$

$$158 H_1 : \beta_k(u_i, v_i) \neq 0 \quad \text{with } k = 1, 2, \dots,$$

159 Therefore, the form of the standard normal distribution has been successfully obtained equation

160 (13)

$$\frac{\hat{\beta}_k(u_i, v_i) - \beta_k(u_i, v_i)}{\sigma\sqrt{c_{kk}}} \sim N(0,1) \quad (13)$$

161 where c_{kk} is the diagonal element from $\mathbf{C}_i\mathbf{C}_i^T$, and $\mathbf{C}_i = [\mathbf{X}^T\mathbf{W}(u_i, v_i)]^{-1}\mathbf{X}^T\mathbf{W}(u_i, v_i)$.

162 In alternative hypothesis (H_1), the various regression coefficients are partially determined by
 163 the GWR model. The Sum of Squares for Error (SSE) obtained from the GWR model is shown as
 164 follows:

$$SSE(H_1) = \hat{\varepsilon}^T \hat{\varepsilon} = \mathbf{y}^T (\mathbf{I} - \mathbf{L})^T (\mathbf{I} - \mathbf{L}) \mathbf{y} \quad (14)$$

165 with the matrix \mathbf{L} is obtained as in Equation (4). Thus, the test statistics used in partial parameter
 166 testing are written as follows [25]:

$$t_{hit} = \frac{\hat{\beta}_k(u_i, v_i)}{\hat{\sigma}\sqrt{c_{kk}}} \quad (15)$$

167 Where $\hat{\sigma} = \sqrt{\frac{SSE(H_1)}{\delta_i}}$ and follow the distribution with degrees of freedom (df) = $\left(\frac{\delta_1^2}{\delta_2^2}\right)$. The value
 168 of $SSE(H_1)$ is obtained as in Equation (14), while the value of δ_1 is calculated by utilizing the
 169 formula: $\delta_i = tr([\mathbf{I} - \mathbf{L}]^T [\mathbf{I} - \mathbf{L}]^i)$.

170

171 **3. RESEARCH METHODOLOGY**172 *A. Data Source*

173 This study was conducted by using panel data, which is referred to as a combination of cross
 174 section data and time series data. The crosssection data were derived from data on health aspects,
 175 which included data on the total of Tuberculosis (TB) cases, the total of hospitals, and the total of
 176 health care centers. Meanwhile, data on aspects of human development were obtained based on
 177 population density data and economic aspects consisting of data on gross regional domestic
 178 product (GRDP). The data were successfully collected in different time periods between 2020-
 179 2021, in each Regency/City in East Borneo. The variables in this study are shown in Table 1.

180

181

182

Variables	Notation	Descriptions	Unit
Response	Y	Total of Confirmed COVID-19 Positive Cases	People
Predictor	X_1	Total of Tuberculosis (TB) Cases	Cases
	X_2	Population Density	People/Km ²
	X_3	Gross Regional Domestic Product (GRDP)	Billion Rupiah
	X_4	Total of Hospitals	Unit
	X_5	Total of Health Care Centers	Unit

183

TABLE 1. Research Variable

184

185 *B. Data Analysis*

186 The modeling processes was carried out using the R-Studio version 2022.02.2 Build 485. The
 187 Steps and Data Analysis of the Distance Function in the I-GTWR Model:

188 1. Determination of spatial-temporal ratio parameter (τ) by utilizing a cross-validation.

189 a. Inserting \mathbf{X} , \mathbf{y} , and location-time coordinates of observations (u_i, v_i, t_i)

190 b. Specifying the initial value of the spatial window width (h_s) and supposing $\xi = 0$.

191 c. Determining the constant in a measure of distance between observed locations and time

$$192 \quad d_{ij}^{ST} = d_{ij}^S + \tau d_{ij}^T + 2\sqrt{\tau d_{ij}^S d_{ij}^T} \quad , \quad t_j < t_i$$

$$193 \quad d_{ij}^{ST} = \alpha \quad , \quad t_j > t_i$$

194 d. Defining the weighting function of GTWR model. This study used a Gaussian weighting
 195 function

$$196 \quad w_{ij} = \exp\left(-\frac{1}{2}\left(\frac{d_{ij}}{h}\right)^2\right) \quad \text{where } i = 1, 2, \dots, n \text{ and } j = 1, 2, \dots, n$$

197 e. Calculating the weighting matrix $\mathbf{W}(u_i, v_i, t_i) = \text{diag}(w_{i1}, w_{i2}, \dots, w_{in})$.

198 f. Calculating $\hat{\boldsymbol{\beta}}(u_i, v_i, t_i) = [\mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{y}$

199 g. Calculating $\hat{y}_{\neq i}(\tau) = \mathbf{x}_i \hat{\boldsymbol{\beta}}(u_i, v_i, t_i)$ by utilizing the value of τ without entering the
 200 location of the i -th observation

201 h. Minimizing cross-validation (CV) values based on τ with the following formula:

$$202 \quad CV(\tau) = \sum_{i=1}^n (y_{\neq i} - \hat{y}_{\neq i}(\tau))^2$$

203

204 2. Determination of spatial parameter (φ^S) and temporal parameter (φ^T) by utilizing a cross-
205 validation.

206 a. Inserting \mathbf{X} , \mathbf{y} , spatial window width (h_s), constant τ , and location-time coordinates of
207 observations (u_i, v_i, t_i) .

208 b. supposing $\xi = 0$.

209 c. Determining the constants of (φ^S) and (φ^T) in a measure of distance between observed
210 locations and time with $\varphi^T = \varphi^S \times \tau$

$$211 \quad d_{ij}^{ST} = \varphi^S d_{ij}^S + (\varphi^S \tau) d_{ij}^T + 2 \sqrt{\varphi^S (\varphi^S \tau) d_{ij}^S d_{ij}^T} \quad , t_j < t_i$$

$$212 \quad d_{ij}^{ST} = \alpha \quad , t_j > t_i$$

213 f. Determining the spatial-temporal weighting function by using the Gaussian weighting
214 function.

215 g. Calculating the weighting matrix $\mathbf{W}(u_i, v_i, t_i) = \text{diag}(w_{i1}, w_{i2}, \dots, w_{in})$.

216 h. Calculating $\hat{\boldsymbol{\beta}}(u_i, v_i, t_i) = [\mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{y}$.

217 i. Calculating $\hat{y}_{\neq i}(\tau) = \mathbf{x}_i \hat{\boldsymbol{\beta}}(u_i, v_i, t_i)$ by utilizing the value of φ^S without entering the
218 location of the i -th observation.

219 j. Minimizing cross-validation values based on φ^S with the formula as follows:

$$220 \quad CV(\varphi^S) = \sum_{i=1}^n (y_{\neq i} - \hat{y}_{\neq i}(\varphi^S))^2$$

221

222 3. Determination of parameter ξ by means of a cross-validation.

223 a. Inserting \mathbf{X} , \mathbf{y} , spatial window width (h_s), constants of τ , φ^S , φ^T and location-time
224 coordinates of observations (u_i, v_i, t_i) .

225 b. Determining the constant ξ in a measure of distance between the observed locations and
 226 time.

$$227 \quad d_{ij}^{ST} = \varphi^S d_{ij}^S + \varphi^T d_{ij}^T + 2\sqrt{\varphi^S \varphi^T d_{ij}^S d_{ij}^T} \quad , \quad t_j < t_i$$

$$228 \quad d_{ij}^{ST} = \alpha \quad , \quad t_j > t_i$$

229 c. Determining the spatial-temporal weighting function by using the Gaussian weighting
 230 function.

231 d. Calculating the weighting matrix $\mathbf{W}(u_i, v_i, t_i) = \text{diag}(w_{i1}, w_{i2}, \dots, w_{in})$.

232 e. Calculating $\hat{\boldsymbol{\beta}}(u_i, v_i, t_i) = [\mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{y}$.

233 f. Calculating $\hat{y}_{\neq i}(\tau) = \mathbf{x}_i^T \hat{\boldsymbol{\beta}}(u_i, v_i, t_i)$ by utilizing the value of ξ without entering the
 234 location of the i -th observation.

235 g. Minimizing cross-validation values based on ξ with the formula as follows:

$$236 \quad CV(\xi) = \sum_{i=1}^n (y_{\neq i} - \hat{y}_{\neq i}(\xi))^2$$

237

238 4. Determination of parameter (h_{ST}) by means of a cross-validation.

239 a. Inserting \mathbf{X} , \mathbf{y} , spatial window width (h_s) , constants of τ , φ^S , φ^T and location-time
 240 coordinates of observations (u_i, v_i, t_i) .

241 b. Determining the location and time of observation in a measure of Euclidean distance.

242 c. Determining the spatial-temporal weighting function. This study used a Gaussian weighting
 243 function.

244 d. Calculating the weighting matrix $\mathbf{W}(u_i, v_i, t_i) = \text{diag}(w_{i1}, w_{i2}, \dots, w_{in})$.

245 e. Calculating $\hat{\boldsymbol{\beta}}(u_i, v_i, t_i) = [\mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{y}$.

246 f. Calculating $\hat{y}_{\neq i}(h_{ST}) = \mathbf{x}_i^T \hat{\boldsymbol{\beta}}(u_i, v_i, t_i)$ by using the value of h_{ST} without entering the
 247 location of the i -th observation.

248 g. Minimizing cross-validation values based on h_{ST} with the following formula:

$$249 \quad CV(h_{ST}) = \sum_{i=1}^n (y_{\neq i} - \hat{y}_{\neq i}(h_{ST}))^2$$

250 5. Estimation of Parameter $\hat{\boldsymbol{\beta}}(u_i, v_i, t_i)$ of the I-GTWR model.

251 a. Inserting \mathbf{X} , \mathbf{y} , and weighting matrix $\mathbf{W}(u_i, v_i, t_i)$.

252 b. Determining $\hat{\boldsymbol{\beta}}(u_i, v_i, t_i) = [\mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{y}$.

253 c. Calculating $\hat{\mathbf{y}}_i = \mathbf{x}_i^T ([\mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{X}]^{-1} \mathbf{X}^T \mathbf{W}(u_i, v_i, t_i) \mathbf{y})$.

254

255 6. Determination of the Best I-GTWR Model.

256 a. Inserting \mathbf{X} , \mathbf{y} , and weighting matrix $\mathbf{W}(u_i, v_i, t_i)$.

257 b. Calculating matrix \mathbf{S}_{IGTWR}

258 c. Calculating Sum of Squares for Error (SSE) of the I-GTWR model with the formula as
259 follows:

$$260 \quad SSE_{IGTWR} = \mathbf{y}^T (\mathbf{I} - \mathbf{S}_{IGTWR})^T (\mathbf{I} - \mathbf{S}_{IGTWR}) \mathbf{y}$$

261 d. Calculating Sum of Squares for Total (SST) of the I-GTWR model by utilizing the following
262 formula:

$$263 \quad SST_{IGTWR} = \mathbf{y}^T \mathbf{y} - \frac{1}{n} (\mathbf{y}^T \mathbf{J} \mathbf{y})$$

264 e. Calculating R^2 , AIC_{IGTWR} , $RMSE_{IGTWR}$ of the I-GTWR model.

265

266 7. Partial testing of each parameter in I-GTWR Model

267 a. Inserting \mathbf{X} , \mathbf{y} , weighting matrix $\mathbf{W}(u_i, v_i, t_i)$, SSE_{IGTWR} , $\hat{\boldsymbol{\beta}}(u_i, v_i, t_i)$, and hat matrix of
268 the I-GTWR model \mathbf{S}_{IGTWR}

269 b. Calculating δ_1 dan δ_2 through the formula as follows:

$$270 \quad \delta_i = tr([\mathbf{I} - \mathbf{S}_{IGTWR})^T (\mathbf{I} - \mathbf{S}_{IGTWR})]^i), \text{ where } i = 1, 2$$

271 c. Calculating $\hat{\sigma} = \sqrt{\frac{SSE_{IGTWR}}{\delta_i}}$

272 d. Calculating matrix $\mathbf{C}_i \mathbf{C}_i^T$ by using the following formula:

$$273 \quad \mathbf{C}_i = (\mathbf{X}^T \mathbf{W}(u_i, v_i, t_i))^{-1} \mathbf{X}^T \mathbf{W}(u_i, v_i, t_i), \text{ where } i = 1, 2, \dots, n$$

274 e. Determining c_{kk} as the k -th diagonal element of the matrix $\mathbf{C}_i \mathbf{C}_i^T$

275 f. Calculating degrees of freedom (df) = $\left(\frac{\delta_1^2}{\delta_2^2}\right)$

276 g. Calculating t -test for each observation through the following formula:

$$t_i = \frac{\hat{\beta}_k(u_i, v_i, t_i)}{\sigma\sqrt{c_{kk}}}, \text{ where } i = 1, 2, \dots, n$$

277
278 The next stage is to conduct an analysis through the I-GTWR method by using COVID-19 data
279 from the Regency/City of East Borneo Province in December 2019 – August 2021. The stages of
280 analysis in this study are as follows:

- 281 1. Conducting an exploration of the linear relationship between predictor variables and testing the
282 assumption of multicollinearity by considering the value of VIF (Variance Inflation Factor).
- 283 2. Testing the spatial diversity by means of the Breusch-Pagan test.
- 284 3. Constructing the weighting matrix (\mathbf{W}) of the I-GTWR method as follows:
 - 285 a. Calculating the optimal spatial window width (h_s) using a cross-validation.
 - 286 b. Calculating the optimal spatial-temporal ratio parameter (τ) using a cross-validation
 - 287 c. Calculating parameters φ^S and φ^T by means of a cross-validation approach. The
288 parameters are based on the spatial-temporal distance function by using the interaction, and
289 assumes the value of $\xi = 0$
 - 290 d. Calculating the parameter ξ through a cross-validation approach.
 - 291 e. Calculating the optimum spatial-temporal window width (h_{ST}) using a cross-validation.
 - 292 f. Determining the weighting matrix (\mathbf{W}) using a measure of the spatial-temporal distance with
293 interactions.
- 294 4. Comparing the goodness of several models, including Global Regression, GTWR and I-GTWR.

295

296 **4. MAIN RESULTS**

297 *A. Multicollinearity Test*

298 The multicollinearity checking was performed with the Variance Inflation Factor (VIF) test to
299 identify the correlation between the predictor variables used in the study. VIF values are shown in
300 Table 2. VIF values less than 10 are often regarded as showing multicollinearity in the predictor
301 variables used. Panel data were used in this study. Therefore, the VIF value was calculated each
302 year and on a combined basis.

303

Year	Variables				
	X ₁	X ₂	X ₃	X ₄	X ₅
Combination	7.833	9.958	3.159	5.868	6.470
2020	44.560	25.143	4.048	16.603	10.210
2021	55.357	60.873	3.230	7.304	19.334

304 TABLE 2. Value of VIF (Variance Inflation Factor) of The Predictor Variables

305

306 *B. Spatial and Temporal Heterogeneity Test*

307 The Breusch-Pagan test based on a combined annual or per year basis are presented in Table 3.
 308 Referring to the results, all data were found to show significance at the 5% level of significance,
 309 thus spatial heterogeneity was found generally in the data on the total of COVID-19 cases. The
 310 spatial heterogeneity included the diversity of data between regions and time in East Borneo.
 311 Consequently, the total of COVID-19 cases in East Borneo might be affected by region and time.

312

Year	Breusch-Pagan Value	p-value
Combination	11.599	0.041
2020	6.067	0.299
2021	6.781	0.237

313 TABLE 3. Results of the Breusch-Pagan Test

314

315 Figure 1 show the distribution of the total of COVID-19 in East Borneo is likely to increase every
 316 year. Figure 1 shows that the boxplot size tends to widen each year. The width of the boxplot
 317 describes the diversity of the data. No outliers are found for each year, thus indicating that no
 318 region in Regency/City was reported to have a very high total of COVID-19 cases compared to
 319 other regions.

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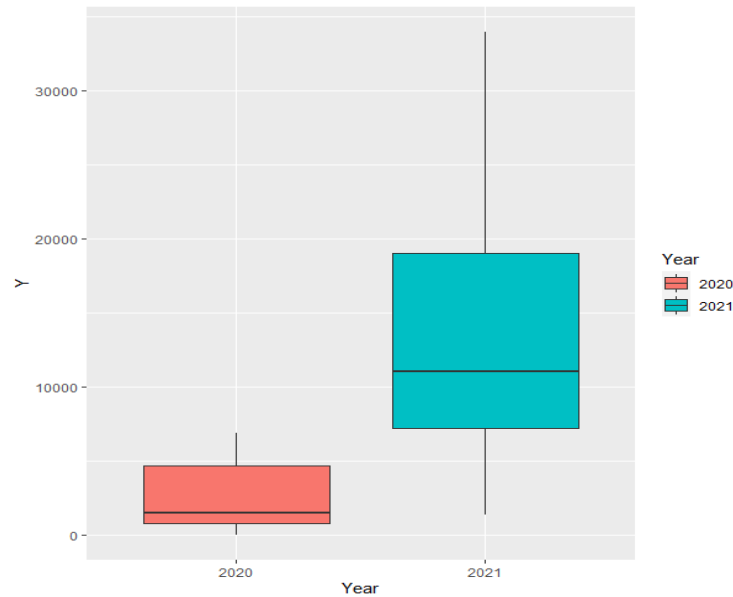
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FIGURE 1. Boxplot of Temporal Diversity in Each Year



335

336

337 C. Parameter Estimation

338 Table 4 shows the parameter estimator by using I-GTWR model. The variable (X_4) provided
 339 the highest average compared to other variables, so the variable of the total of hospitals (X_4) had
 340 a greater influence on the total of COVID-19 cases in Regencies/Cities, followed by the variables
 341 of the total of health care centers (X_5), the density population (X_2), the total of tuberculosis (TB)
 342 cases (X_1), and the least influence were provided by the variable of Gross Regional Domestic
 343 Product (GRDP) (X_3).

344

Variable	Minimum	Maximum	Mean	Standard Deviation
Constant	-5392.300	-4463.556	-4873.25	318.445
$\hat{\beta}_1$	-39.634	-36.741	-38.195	1.077
$\hat{\beta}_2$	21.770	25.076	23.433	1.346
$\hat{\beta}_3$	0.084	0.111	0.098	0.008
$\hat{\beta}_4$	1600.100	1802.590	1686.93	65.063
$\hat{\beta}_5$	93.679	114.508	103.241	7.654

345

TABLE 4. Summary from the Estimated Values of the I-GTWR Model Parameters

346 *D. Kernel Functions on Fixed Bandwidth*

347 Based on Table 5, the implementation of the goodness-of-fit, particularly AICc was capable of
 348 causing the Gaussian kernel function to have the smallest value compared to other kernel functions.
 349 Meanwhile, for the R-Square value, the Exponential kernel function provided a higher value than
 350 other kernel functions. However, the R-Square values in the Gaussian kernel function and the
 351 Exponential kernel function were not found to be significantly different. Therefore, the Kernel
 352 Gaussian function could be considered as a function that was generally able to generate better the
 353 I-GTWR modeling results in this study data.

354

Kernel Function	Bandwidth	AICc	R^2
Gaussian	1.346	714.263	0.981
Bisquare	1.584	733.663	0.816
Exponential	0.665	1649.417	0.998

355 TABLE 5. Comparison of Kernel Functions on Fixed Bandwidth

356

357 *E. Comparison of Models*

358 The global regression model, the GTWR model and the I-GTWR model were compared to
 359 identify a better model to describe the distribution of COVID-19 cases in East Borneo. Based on
 360 Table 6, the I-GTWR model accompanied by the Gaussian kernel function weighting was observed
 361 to be better for modeling the distribution of the total of COVID-19 cases in East Borneo, because
 362 it had a larger value of R^2 , and smaller RMSE values than the global regression method.

363

Method	R^2	RMSE
Global Regression	0.634	6232.002
GTWR	0.834	4205.785
I-GTWR	0.981	2270.671

364 TABLE 6. Comparison of Models

365

366 *F. Spatial and Temporal Pattern of Contributing Factors for COVID-19 Cases*

367 In each Regency/City, the predictor variables that significantly affect the total of COVID-19

368 cases could be different between years. The mapping process was capable of indicating significant
 369 movement of response variables between Regencies/Cities and between years at Figure 2. The
 370 mapping was successfully carried out by dividing four maps based on a single variable and one
 371 map based on a combination variable. The maps were explored based on a single variable that
 372 significantly influenced changes in the total of COVID-19 cases by region and time as shown in
 373 Table 8. Referring to Table 7, each variable was found to affect the total of COVID-19 cases in
 374 each region and at different times. In 2020, the GRDP variable (X_3) was identified as not
 375 significantly affecting the total of COVID-19 cases in several Regencies/cities, while the variables
 376 for the total of tuberculosis (TB) cases (X_1), the population density (X_2), the total of hospitals (X_4),
 377 and the total of health care centers (X_5) were found to have an effect on changes in the total of
 378 COVID-19 cases in all Regencies/Cities in East Borneo Province.
 379

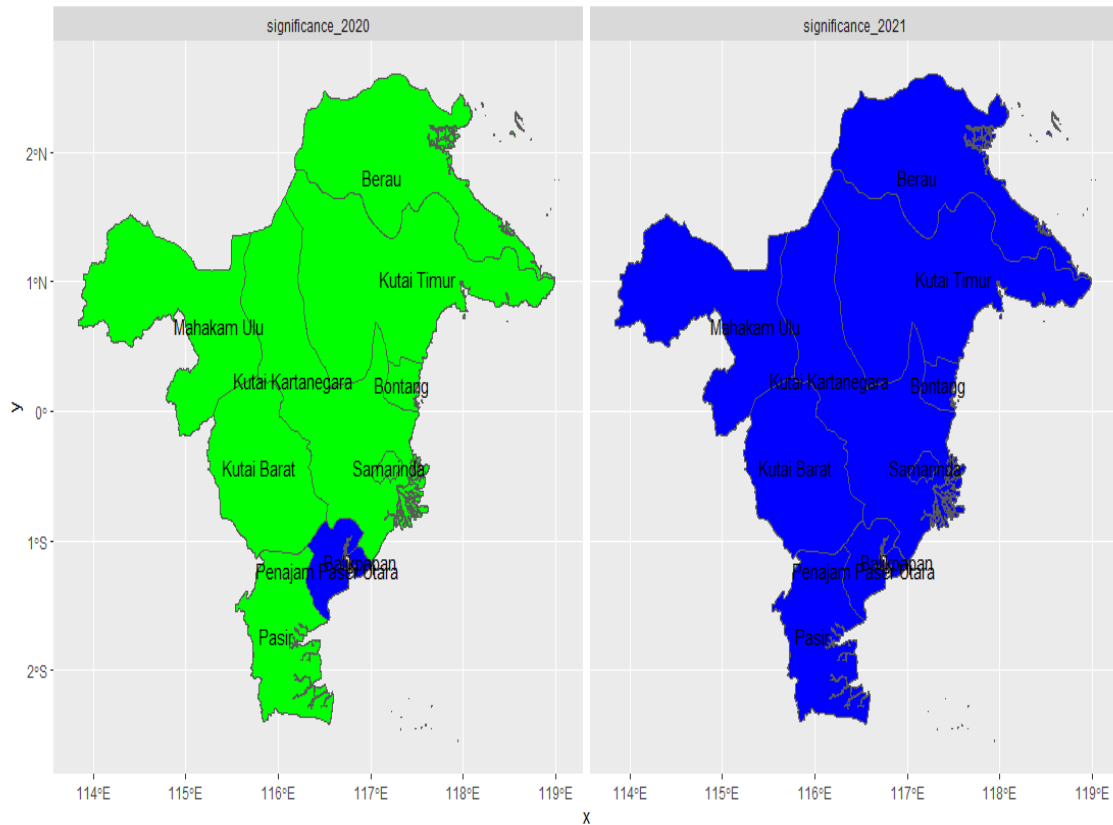
Variables	2020	2021
X_1	Kutai Barat, Kutai Timur, Kutai Kartanegara, Penajam Paser Utara, Paser, Berau, Mahakam Ulu, Balikpapan, Bontang, Samarinda	Kutai Barat, Kutai Timur, Kutai Kartanegara, Penajam Paser Utara, Paser, Berau, Mahakam Ulu, Balikpapan, Bontang, Samarinda
X_2	Kutai Barat, Kutai Timur, Kutai Kartanegara, Penajam Paser Utara, Paser, Berau, Mahakam Ulu, Balikpapan, Bontang, Samarinda	Kutai Barat, Kutai Timur, Kutai Kartanegara, Penajam Paser Utara, Paser, Berau, Mahakam Ulu, Balikpapan, Bontang, Samarinda
X_3	Penajam Paser Utara, Balikpapan	Kutai Barat, Kutai Timur, Kutai Kartanegara, Penajam Paser Utara, Paser, Berau, Mahakam Ulu, Balikpapan, Bontang, Samarinda
X_4	Kutai Barat, Kutai Timur, Kutai Kartanegara, Penajam Paser Utara, Paser, Berau, Mahakam Ulu, Balikpapan, Bontang, Samarinda	Kutai Barat, Kutai Timur, Kutai Kartanegara, Penajam Paser Utara, Paser, Berau, Mahakam Ulu, Balikpapan, Bontang, Samarinda
X_5	Kutai Barat, Kutai Timur, Kutai Kartanegara, Penajam Paser Utara, Paser, Berau, Mahakam Ulu, Balikpapan, Bontang, Samarinda	Kutai Barat, Kutai Timur, Kutai Kartanegara, Penajam Paser Utara, Paser, Berau, Mahakam Ulu, Balikpapan, Bontang, Samarinda

380 TABLE 7. Variables that Provide Significant Influence
 381

382 Based on the simultaneous analysis, two groups of Regencies/Cities were found based on a model
 383 of a combination of contributing factors for the total of COVID-19 cases.

384

385 **FIGURE 2. Location of COVID-19 Cases based on Significant Influencing Factors**



386
 387

388 The first group was the total of COVID-19 influenced by the variables of the total of
 389 tuberculosis (TB) cases (X_1), population density (X_2), the GRDP (X_3), the total of hospitals (X_4),
 390 and the total of health care centers (X_5); and the second group was the total of COVID-19 cases
 391 influenced by the total of tuberculosis (TB) cases (X_1), population density (X_2), the total of
 392 hospitals (X_4), and the total of health care centers (X_5). The complete grouping of Regencies/Cities
 393 based on the combination model that causes an increase in the total of COVID-19 cases is shown
 394 in Table 8.

395

396

397

Group	Variables	Regency/City	
		2020	2021
1	X_1, X_2, X_3, X_4, X_5	Penajam Paser Utara, Balikpapan	Paser, Kutai Barat, Kutai Kartanegara, Kutai Timur, Berau, Penajam Paser Utara, Mahakam Ulu, Balikpapan, Samarinda, Bontang
2	X_1, X_2, X_4, X_5	Kutai Barat, Kutai Timur, Kutai Kartanegara, Paser, Berau, Mahakam Ulu, Bontang, Samarinda	-

TABLE 8. Grouping of Regencies/Cities Based on The Combination Model

398
399400 **5. CONCLUSION**

401 Based on the study that had been conducted, it may be inferred that the Improved-
402 Geographically Temporally Weighted Regression (I-GTWR) modeling had proven to be more
403 effective in describing the spread of the total of COVID-19 in East Borneo. Referring to the results
404 of the parameter estimation of the total of COVID-19 cases in East Borneo by means of the I-
405 GTWR method, the factors found to provide an influence on the total of COVID-19 cases included
406 the total of tuberculosis (TB) cases (X_1), the population density (X_2), the GRDP (X_3), the total of
407 hospitals (X_4), and the total of health care centers (X_5). These five factors significantly affected
408 the total of COVID-19 cases East Borneo based on region and time (spatial temporary). The I-
409 GTWR method could also be used to classify the spread of the total of COVID-19 in Regency/City
410 that was influenced by certain variables in combination or single variables based on region and
411 time. The variable of gross regional domestic product (GRDP) (X_3) was identified as a single
412 variable that had no effect on the total of COVID-19 cases in East Borneo Province in 2020. The
413 combination factors that provided a significant influence in this study consisted of the total of
414 tuberculosis (TB) cases (X_1), the population density (X_2), the total of Hospitals (X_4), and the total
415 of health care centers (X_5).

416

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421

422 **CONFLICT OF INTERESTS**

423 The author(s) declare that there is no conflict of interests.

424

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